| M.Sc. Mathematics Course Outcomes Summary Sheet |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Course | Title | Course Outcome 1 | Course Outcome 2 | Course Outcome 3 | Course Outcome 4 | Course Outcome 5 | Course Outcome 6 | Course Outcome 7 |
| M.Sc.Previous Mathematics | Advanced Abstract Algebra | Demonstrate deep understanding of fundamental abstract algebra concepts. | Apply group theory concepts to solve problems involving direct and internal products, Sylow's theorems, and isomorphism theorems. | Analyze and solve problems involving polynomial rings, linear transformations, dual spaces, and field extensions. | Utilize Galois theory to understand the solvability of polynomial equations and apply it to solve related problems. | Represent linear maps using matrices, calculate eigenvalues and eigenvectors, and apply these concepts to solve various problems. | Analyze real inner product spaces, apply adjoint and orthogonal transformations, and utilize the Principal Axis Theorem. |  |
| M.Sc.Previous Mathematics | Real Analysis and Topology | Apply measure theory concepts to analyze sets of real numbers and measurable functions. | Define and analyze Lebesgue integrals, utilize Fourier series and their coefficients, and apply convergence in measure and Egoroff's theorem. | Understand and apply concepts of L-spaces, Holder-Minkowski inequalities, and topological spaces, including separation axioms. | Analyze continuous mappings and homeomorphisms, apply nets and filters, and utilize separation axioms to categorize topological spaces. | Analyze and characterize compact and locally compact spaces, apply continuity and connectedness properties, and utilize the One-Point Compactification Theorem. |  |  |
| M.Sc.Previous Mathematics | Differential Equations and Special Functions | Solve non-linear ordinary differential equations of particular forms, including Riccati's equation, and analyze total differential equations and partial differential equations of second order with variable coefficients. | Classify linear partial differential equations of second order, apply Cauchy's method and separation of variables to solve first-order partial differential equations, and analyze Laplace, Wave, and diffusion equations. | Define and analyze functionals and their variations. | Apply Euler's equation and variational principles to solve extremum problems, and utilize the method of Frobenius to solve differential equations near singular points. | Analyze and apply properties of Gauss hypergeometric functions, Bessel functions, Hermite polynomials, and Laguerre polynomials to solve problems. |  |  |
| M.Sc.Previous Mathematios | Differential Geometry and Tensor Analysis | Analyze space curves and their properties, including curvature, torsion, and osculating circle, and utilize the Serret-Frenet formulae. | Define and analyze the metric of a surface and its fundamental forms, calculate and interpret curvature and torsion of a surface, and understand Weingarten equations. | Analyze normal curvature, principal directions and curvatures, asymptotic lines, and Gauss's formulae. | Define and analyze geodesics, Christoffel symbols, covariant differentiation, Riemann-Christoffel tensor, and covariant curvature tensor. | Understand and apply concepts of tensor analysis, including Kronecker delta, contravariant and covariant tensors, and Riemannian space. |  |  |
| M.Sc. Final Mathematics | Analysis and Advanced Calculus | Demonstrate a deep understanding of metric spaces, normed linear spaces, and inner product spaces. | Apply concepts of completeness, compactness, separability, and connectedness in metric spaces. | Analyze and apply properties of bounded linear transformations, weak convergence, and dual spaces. | Understand and utilize the Hahn-Banach theorem, open mapping theorem, closed graph theorem, and uniform boundedness theorem. | Analyze Hilbert spaces, their properties, and the structure of a Hilbert space. | Apply concepts of adjoint operators, self-adjoint operators, projections, and spectral theorem. |  |
| M.Sc. Final Mathematics | Fluid Dynamics | Understand and apply fundamental concepts of fluid mechanics and equations. | Analyze vorticity, circulation, similarity, and non-dimensional parameters. | Solve exact solutions for specific flow patterns. | Analyze specific flow types and apply boundary layer concepts. | Apply energy equation to analyze temperature distribution. |  |  |
| M.Sc. Final Mathematics | Mathematical Programming | Understand and apply <br> fundamental concepts of linear <br> programming and simplex <br> method. <br> A | Solve integer programming problems using specific algorithms. | Analyze and solve nonlinear programming problems using specific conditions and algorithms. | Apply quadratic programming techniques using specific methods. | Solve linear programming problems using dynamic programming. |  |  |
| M.Sc. Final Mathematics | Integral Transform and Integral Equations | Apply Laplace, Fourier, Mellin, and Hankel transforms to solve specific problems. | Solve specific integral equations using various methods. | Understand and apply concepts of convolution theorems, resolvent kernels, and convergence. | Apply concepts to solve specific problems and analyze uniqueness of solutions. |  |  |  |
| M.Sc. Final Mathematics | Advanced Numerical Analysis | Apply iterative methods to solve equations and systems. | Solve polynomial equations using specific methods. | Solve systems of linear equations using direct and iterative methods. | Calculate eigenvalues and eigenvectors using specific techniques. | Apply curve fitting and function approximation techniques to solve problems. | Solve ordinary differential equations numerically using specific methods and analyze stability. | Solve boundary value problems for ordinary differential equations using specific methods. |

## M.Sc. Mathematics Program Summary Sheet:

| S.NO. | Program Outcomes (POs) | Program Specific Outcomes (PSOs) | Program Educational Objectives (PEOs) |
| :---: | :---: | :---: | :---: |
| PO1/PSO1/PEO1 | Strong foundation in mathematics: Graduates will demonstrate a deep understanding of fundamental concepts and methodologies in pure and applied mathematics, including algebra, analysis, topology, and differential equations. | Advanced knowledge and skills in chosen specialization: Graduates will gain in-depth knowledge and expertise in their chosen area of specialization within mathematics, such as numerical analysis, differential geometry, or mathematical physics. | Successful careers in mathematics and related fields: Graduates will be successful in their chosen careers in mathematics and related fields, contributing significantly to their chosen profession and making a positive impact on society. |
| PO2/PSO2/PEO2 | Problem-solving skills: Graduates will be able to analyze complex problems, apply mathematical principles and techniques to find solutions, and interpret and communicate results effectively. | Ability to conduct independent research: Graduates will develop the skills and knowledge necessary to conduct independent research in mathematics, including formulating research questions, designing experiments, analyzing data, and presenting findings. | Continual professional development: Graduates will be committed to continual professional development, staying abreast of current advancements in their field and actively seeking opportunities to expand their knowledge and skills. |
| PO3/PSO3/PEO3 | Critical thinking and reasoning: Graduates will develop strong critical thinking and reasoning skills, enabling them to evaluate arguments, identify assumptions, and form sound conclusions. | Preparation for professional careers in mathematics: Graduates will be well-prepared for professional careers in various fields that utilize their mathematical skills, such as research, teaching, finance, engineering, and data science. | Leadership and innovation: Graduates will be able to take on leadership roles and contribute to the development and implementation of new ideas and solutions in their field. |
| PO4/PSO4/PEO4 | Analytical and computational skills: Graduates will acquire proficiency in analytical and computational methods, including numerical analysis, integral transforms, and optimization techniques. | Effective communication of mathematical concepts: Graduates will be able to effectively communicate complex mathematical concepts and ideas to both technical and non-technical audiences. | Social responsibility and ethical behavior: Graduates will be responsible and ethical individuals, applying their mathematical knowledge and skills to contribute to the solution of societal problems and promote positive change. |
| PO5/PSO5/PEO5 | Communication and collaboration skills: Graduates will develop effective communication and collaboration skills, allowing them to clearly present their work, collaborate with others, and contribute to a team environment. | Ethical conduct and professional responsibility: Graduates will uphold high ethical standards and demonstrate professional responsibility in their work and interactions with colleagues and the broader community. | Lifelong learning and intellectual curiosity: Graduates will maintain a lifelong passion for learning and intellectual curiosity, continuously seeking new knowledge and understanding in mathematics and other disciplines. |
| PO6/PSO6/PEO6 | Lifelong learning: Graduates will be committed to lifelong learning, able to adapt to new technologies and advancements in the field of mathematics. |  |  |

## Mapping of Course Outcomes of all courses of M.Sc. Mathematics with Program Outcomes, Program Specific Outcomes, and Program Educational Objectives

| Course Outcomes | Program Outcomes | Program Specific Outcomes | Program Educational Objectives | Level |
| :---: | :---: | :---: | :---: | :---: |
| Demonstrate deep understanding of fundamental abstract algebra concepts. | PO1 | PSO1 | PEO1, PEO2, PEO3 | Understand (High) |
| Apply group theory concepts to solve problems involving direct and internal products, Sylow's theorems, and isomorphism theorems. | PO2, PO3 | PSO2 | PEO2 | Apply (Medium) |
| Analyze and solve problems involving polynomial rings, linear transformations, dual spaces, and field extensions. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO3 | Analyze (Medium) |
| Utilize Galois theory to understand the solvability of polynomial equations and apply it to solve related problems. | PO2, PO3 | PSO2 | PEO2 | Apply (High) |
| Represent linear maps using matrices, calculate eigenvalues and eigenvectors, and apply these concepts to solve various problems. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO3 | Apply (Medium) |
| Analyze real inner product spaces, apply adjoint and orthogonal transformations, and utilize the Principal Axis Theorem. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO3 | Analyze (High) |
| M.Sc. Previous Mathematics Paper-II: Real Analysis and Topology |  |  |  |  |
| Apply measure theory concepts to analyze sets of real numbers and measurable functions. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (Medium) |
| Define and analyze Lebesgue integrals, utilize Fourier series and their coefficients, and apply convergence in measure and Egoroff's theorem. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Analyze (Medium) |
| Understand and apply concepts of L-spaces, Holder-Minkowski inequalities, and topological spaces, including separation axioms. | PO2, PO3 | PSO2 | PEO2 | Understand (Medium) |
| Analyze continuous mappings and homeomorphisms, apply nets and filters, and utilize separation axioms to categorize topological spaces. | PO2, PO3 | PSO2 | PEO2 | Analyze (High) |
| Analyze and characterize compact and locally compact spaces, apply continuity and connectedness properties, and utilize the One-Point Compactification Theorem. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO3 | Analyze (High) |
| M.Sc. Previous Mathematics Paper-III: Differential Equations and Special Functions |  |  |  |  |


| Solve non-linear ordinary <br> differential equations of <br> particular forms, including <br> Riccati's equation, and <br> analyze total differential <br> equations and partial <br> differential equations of <br> second order with variable <br> coefficients. | PO1, PO4 |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Classify linear partial <br> differential equations of <br> second order, apply Cauchy's <br> method and separation of <br> variables to solve first-order <br> partial differential equations, <br> and analyze Laplace, Wave, <br> and diffusion equations. | PO1, PO4 |  |  |  |
| Define and analyze <br> functionals and their <br> variations. | PSO1, PSO3 |  |  |  |


| Demonstrate a deep understanding of metric spaces, normed linear spaces, and inner product spaces. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Understand (High) |
| :---: | :---: | :---: | :---: | :---: |
| Apply concepts of completeness, compactness, separability, and connectedness in metric spaces. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (Medium) |
| Analyze and apply properties of bounded linear transformations, weak convergence, and dual spaces. | PO2, PO3 | PSO2 | PEO2, PEO4 | Analyze (Medium) |
| Understand and utilize the Hahn-Banach theorem, open mapping theorem, closed graph theorem, and uniform boundedness theorem. | PO2, PO3 | PSO2 | PEO2, PEO4 | Understand (High) |
| Analyze Hilbert spaces, their properties, and the structure of a Hilbert space. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO3 | Analyze (High) |
| Apply concepts of adjoint operators, self-adjoint operators, projections, and spectral theorem. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO3 | Apply (High) |
| M.Sc. Final Mathematics Paper-II: Fluid Dynamics |  |  |  |  |
| Understand and apply fundamental concepts of fluid mechanics and equations. | PO1, PO3 | PSO1 | PEO1, PEO3 | Understand (Medium) |
| Analyze vorticity, circulation, similarity, and non-dimensional parameters. | PO1, PO3 | PSO1 | PEO1, PEO3 | Analyze (Medium) |
| Solve exact solutions for specific flow patterns. | PO2, PO4 | PSO2 | PEO2 | Apply (Medium) |
| Analyze specific flow types and apply boundary layer concepts. | PO2, PO4 | PSO2 | PEO2 | Analyze (Medium) |
| Apply energy equation to analyze temperature distribution. | PO1, PO4 | PSO1 | PEO1, PEO3 | Apply (Medium) |
| M.Sc. Final Mathematics Paper-III: Mathematical Programming |  |  |  |  |
| Understand and apply fundamental concepts of linear programming and simplex method. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Understand (Medium) |
| Solve integer programming problems using specific algorithms. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (High) |
| Analyze and solve nonlinear programming problems using specific conditions and algorithms. | PO2, PO3 | PSO2 | PEO2, PEO4 | Analyze (High) |
| Apply quadratic programming techniques using specific methods. | PO2, PO3 | PSO2 | PEO2, PEO4 | Apply (Medium) |
| Solve linear programming problems using dynamic programming. | PO1, PO4 | PSO1 | PEO1, PEO3 | Apply (Medium) |
| M.Sc. Final Mathematics Paper-IV: Integral Transform and Integral Equations |  |  |  |  |
| Apply Laplace, Fourier, Mellin, and Hankel transforms to solve specific problems. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (Medium) |


| Solve specific integral <br> equations using various <br> methods. | PO2, PO3 | PSO2 | PEO2 | Apply (Medium) |
| :--- | :---: | :---: | :---: | :---: |
| Understand and apply <br> concepts of convolution <br> theorems, resolvent kernels, <br> and convergence. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Understand (Medium) |
| Apply concepts to solve <br> specific problems and analyze <br> uniqueness of solutions. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Analyze (Medium) |
|  | M.Sc. Final Mathematics Paper-V: Advanced Numerical Analysis |  |  |  |
| Apply iterative methods to <br> solve equations and systems. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (Medium) |
| Solve polynomial equations <br> using specific methods. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (Medium) |
| Solve systems of linear <br> equations using direct and <br> iterative methods. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (Medium) |
| Calculate eigenvalues and <br> eigenvectors using specific <br> techniques. | PO2, PO3 | PSO2 | PEO2 | Apply (Medium) |
| Apply curve fitting and <br> function approximation <br> techniques to solve problems. | PO2, PO3 | PSO2 | PEO2 | Apply (Medium) |
| Solve ordinary differential <br> equations numerically using <br> specific methods and analyze <br> stability. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (High) |
| Solve boundary value <br> problems for ordinary <br> differential equations using <br> specific methods. | PO1, PO4 | PSO1, PSO3 | PEO1, PEO2, PEO3 | Apply (High) |

